# Stripped helium stars finding their progenitors

Spectroscopic project

#### Who am I?

#### **Stephan Geier**

Born and raised in a small village in Franconia (Northern Bavaria)

Studied physics at University Erlangen (+history & archaeology)

2009+2011 PhDs (physics & history): Bamberg observatory + Erlangen

2009-2016 PostDocs: Bamberg, ESO Garching, and University of Warwick

2016-2018 Staff scientist, University of Tübingen

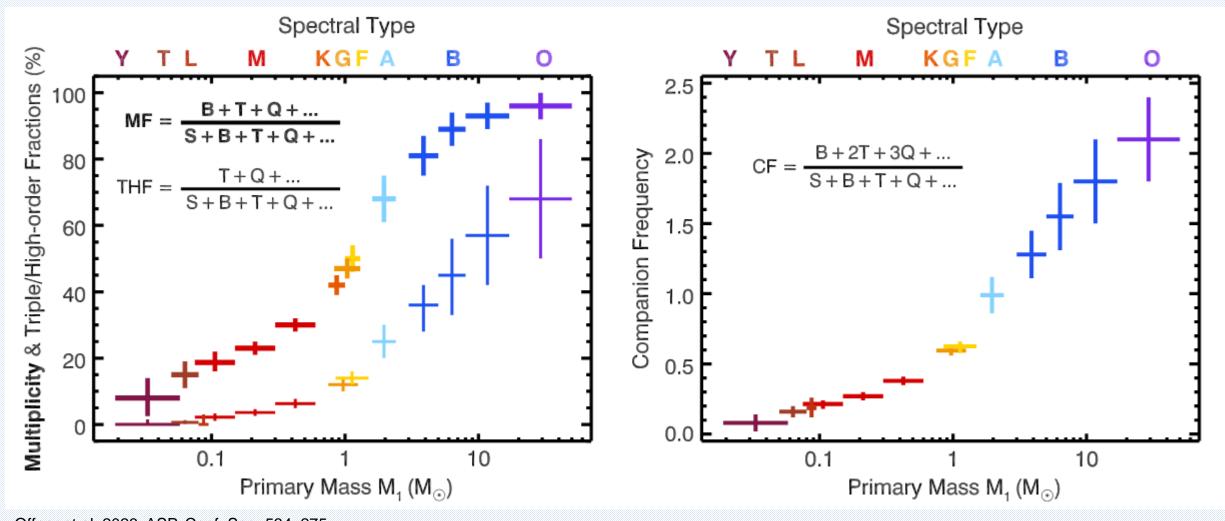
Since 2018 Professor, University of Potsdam

## **Binary populations**



Binary and multiple star systems are common

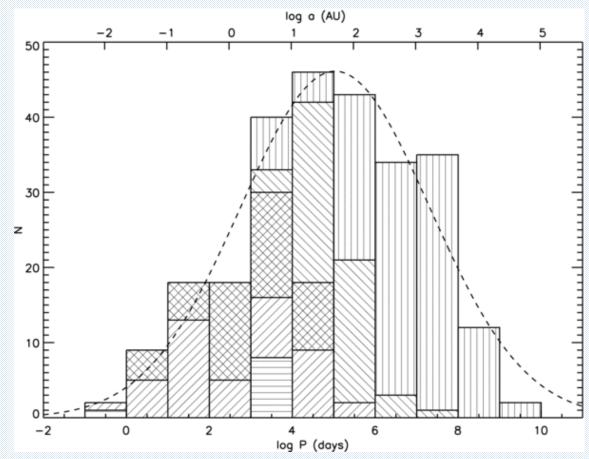
## **Binary populations**



Offner et al. 2023, ASP, Conf. Ser., 534, 275

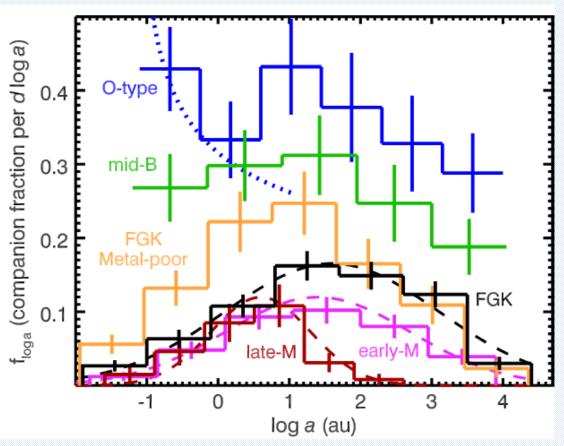
Multiplicity fraction on the main sequence depends on stellar mass

## **Binary populations**

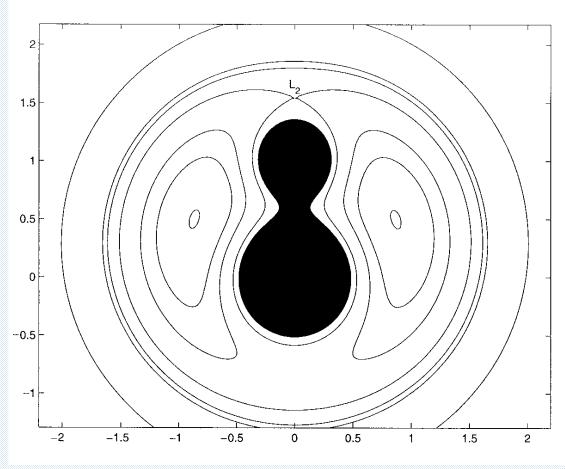


Raghavan et al. 2010, ApJS, 190, 1

#### **Broad period/separation distribution**



Offner et al. 2023, ASP, Conf. Ser., 534, 275

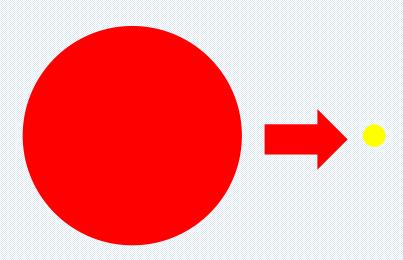


Hilditch 2001

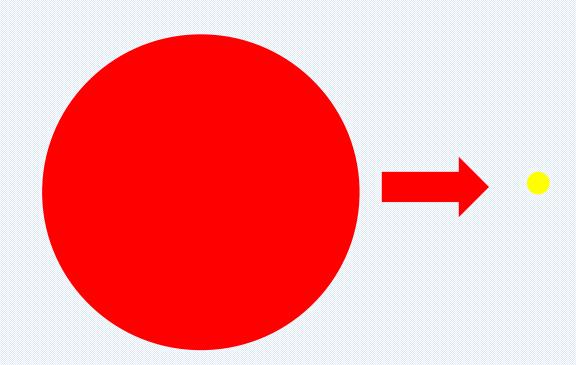
In wide binaries, where the separation is much larger than the Roche radii of both components, the stars evolve like single stars

Due to significant changes in the stellar radii, interactions might happen in later stages of stellar evolution

As soon as one of the components overfills its Roche lobe, the star interacts with its companion



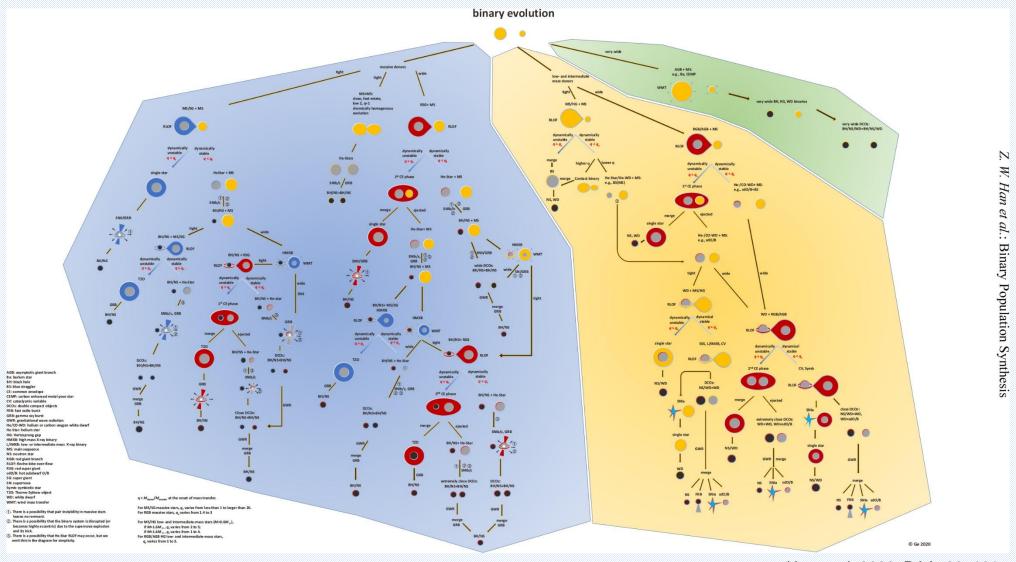
First red giant branch star fills Roche lobe  $(P \approx 10 - 100 \text{ d}) \rightarrow \text{Case B}$ 



Asymptotic giant branch star fills Roche lobe  $(P \approx 100 \text{ d}) \rightarrow$  Case C

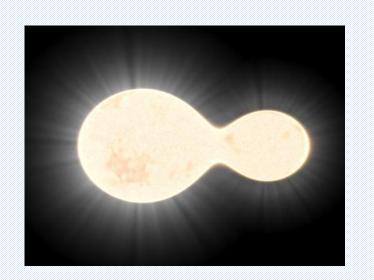


Main sequence stars fills Roche lobe  $(P \approx 1 - 10 \text{ d}) \rightarrow \text{Case A}$ 

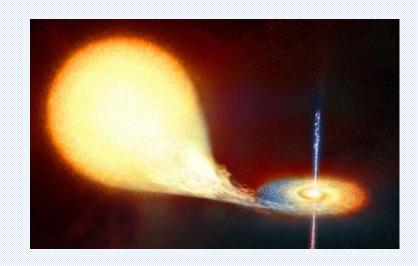


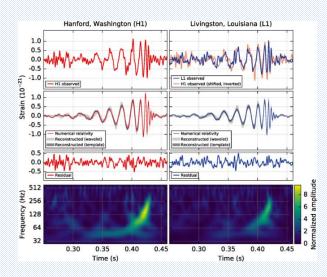
Han et al. 2020, RAA, 20, 161

Understanding binary evolution needed to understand stellar evolution







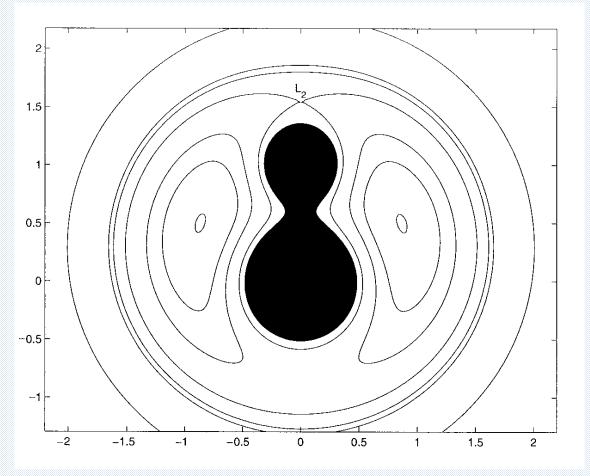






ESA, ESO, NASA, Caltech/JPL

Understanding binary interactions important for other fields of astrophysics



Hilditch 2001

**Mass transfer** from the Roche lobe filling star (**donor**) to the companion (**accretor**)

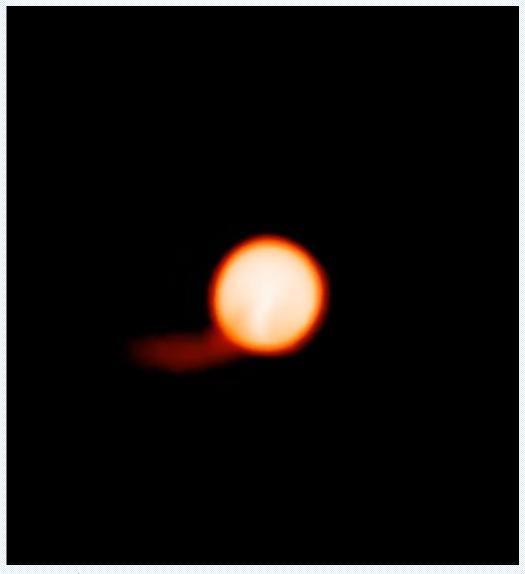
Details of mass transfer depend on the mass ratio (stability criterion)

$$\frac{M_{\rm donor}}{M_{\rm accretor}} = \frac{M_{\rm d}}{M_{\rm a}}$$



ESO/M. Kornmesser

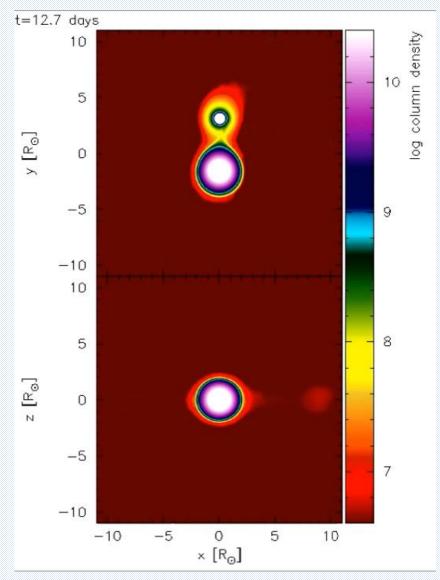
$$\frac{M_{\rm d}}{M_{\rm a}} < q_{\rm crit} o$$
 Stable Roche-lobe overflow



If the accretor fills it's Roche lobe too rapidly  $\left(\frac{M_{\rm d}}{M_{\rm a}}>q_{\rm crit}\right)$ , mass transfer becomes unstable

→ Common envelope phase

Youtube/Thomas Reichardt



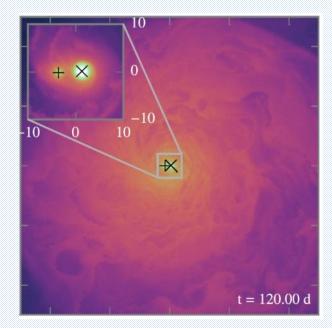
Ivanova et al. 2013, A&AR, 21, 59

Spiral-in without envelope ejection

→ Binary merger forming a single star

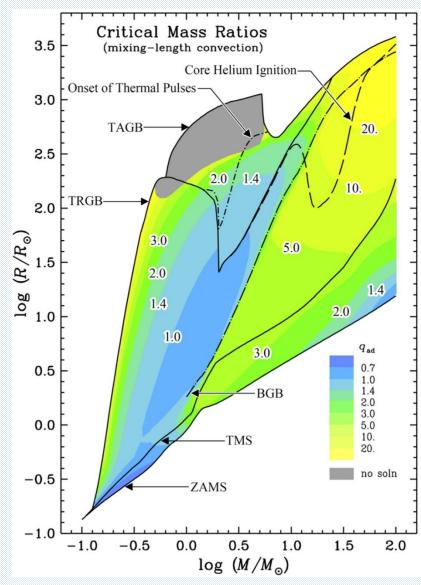
**Envelope completely ejected** 

→ Close binary



Ohlmann et al. 2016, ApJ, 816, L9

### The problem



Ge et al. 2020, ApJ, 899, 132

#### That is all theory!

Observational constraints needed to verify and improve the theoretical models

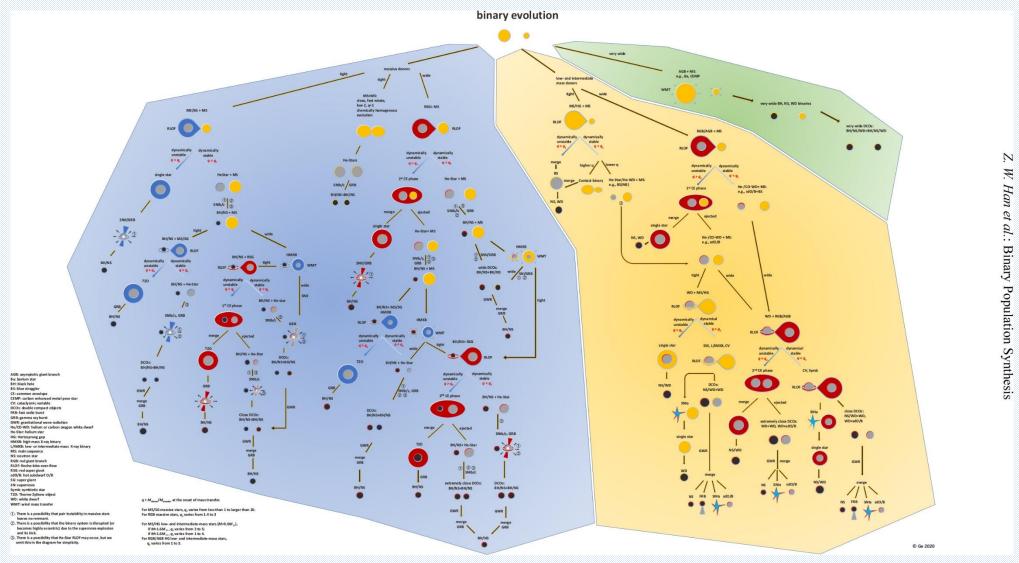
Which binaries do which type of mass transfer?

 $\rightarrow$  What is  $q_{\rm crit}$ ?

How do interactions change the binary systems?

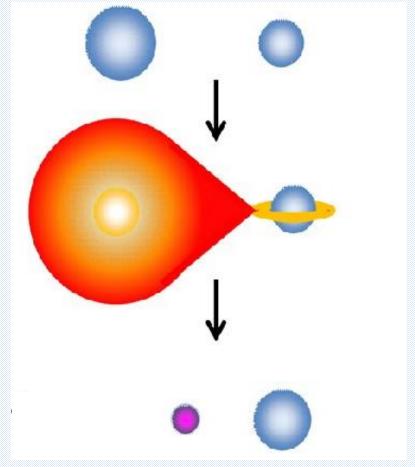
- → How conservative is stable RLOF?
- → How efficient is the CE phase?

## The problem



Han et al. 2020, RAA, 20, 161

Understanding the details of interactions needed to understand evolution



Lazarus et al. 2014, MNRAS, 437, 1485 modified by Geier

Interactions are happening on short timescales

→ hard to observe directly

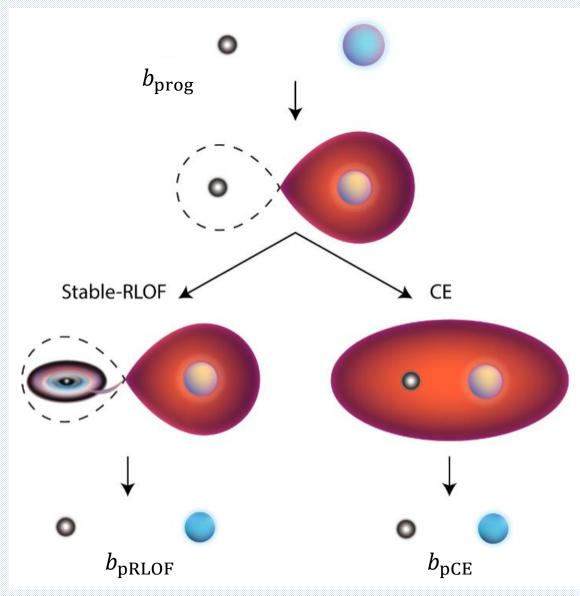
**Indirect approach:** 

Find and study the progenitors of an interaction

Find and study systems after the interaction

Compare the system's parameters

→ Exchanged mass and angular momentum, CE efficiency, mass loss



Wu et al. 2020, A&A, 634, A126 modified by Geier

Studying populations of binaries allows to probe evolution channels

Counting the number (birthrates) of progenitors

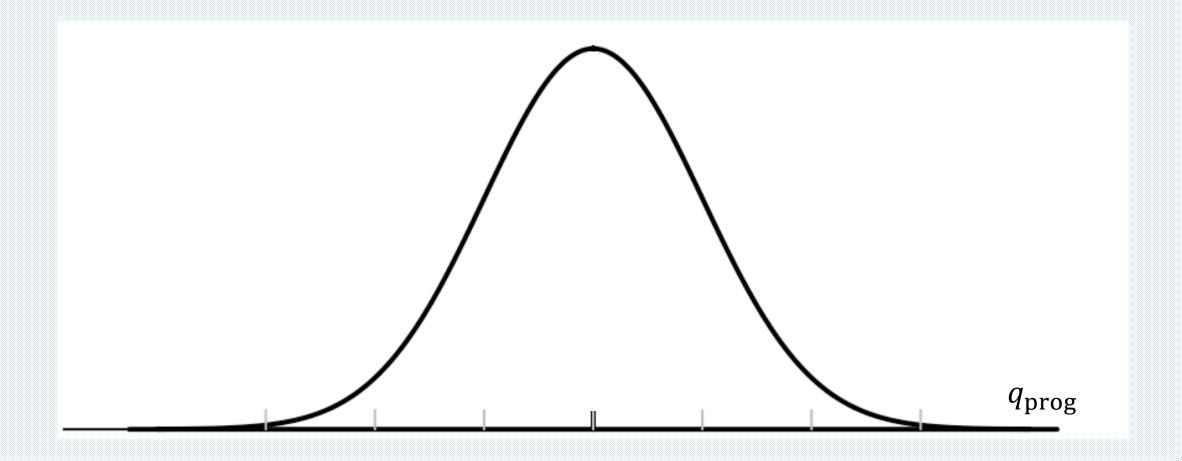
Counting the number (birthrates) of post-CE and post-RLOF systems

If those are the only channels:

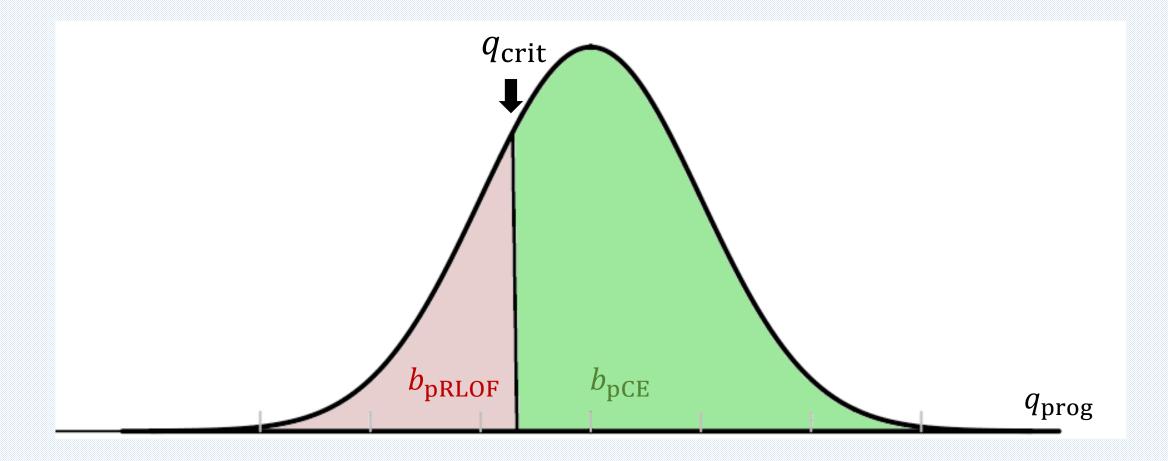
$$b_{\text{prog}} = b_{\text{pRLOF}} + b_{\text{pCE}}$$

If not:

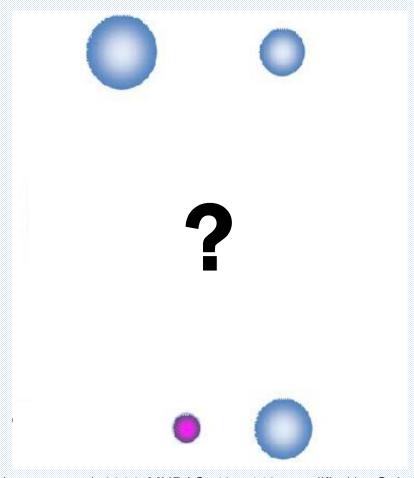
$$b_{\text{prog}} = b_{\text{pRLOF}} + b_{\text{pCE}} + b_{\text{merger}}$$
?



Distribution of progenitor mass ratios: Area corresponds to  $b_{
m prog}$ 



Assuming that post-RLOF systems have the lowest q and  $b_{\rm prog} = b_{\rm pRLOF} + b_{\rm pCE}$  we can determine  $q_{\rm crit}$ 



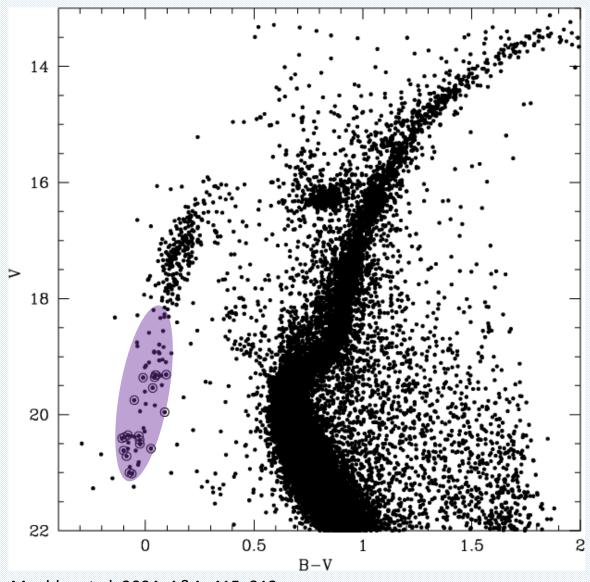
Lazarus et al. 2014, MNRAS, 437, 1485 modified by Geier

How can we be sure that binaries are progenitors and outcome of a specific interaction?

#### In general, we can't

- → Mass loss history, mass transfer details and history are uncertain
- → Degeneracies possible: Same outcome with different progenitors

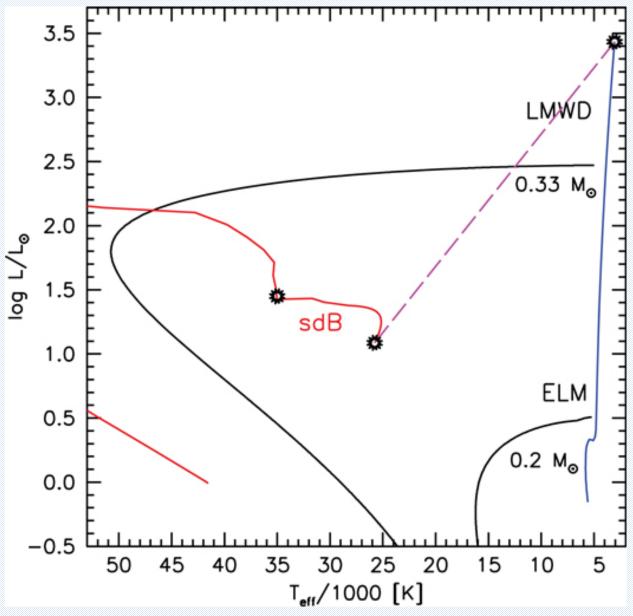
To put constraints on interactions we need to find cases where we can be sure!



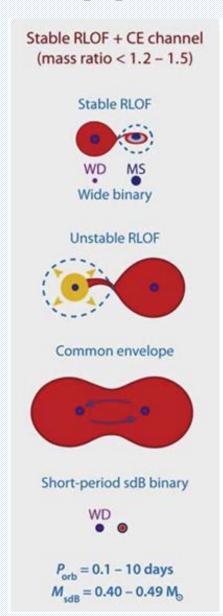
#### **Extreme Horizontal Branch (EHB) stars**

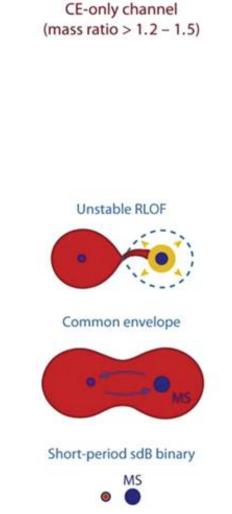
- → Hot subdwarfs
- → Spectral types O, B (sdO, sdB)
- → Extremely thin hydrogen envelopes, no H-shell burning
- → Not formed in standard stellar evolution

Moehler et al. 2004, A&A, 415, 313

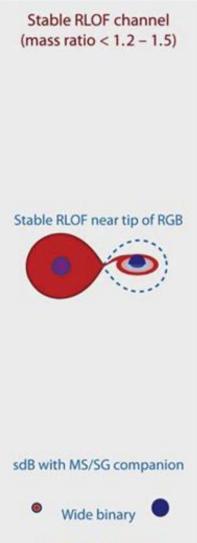


- → Envelope stripping of a low-mass star at the tip of the RGB
- → Star ignites core helium-burning under degenerate conditions
- → Due to the very thin remaining Henvelope, the star settles at the EHB
- $\rightarrow$  Evolutionary timescale  $10^8 \text{ yr}$





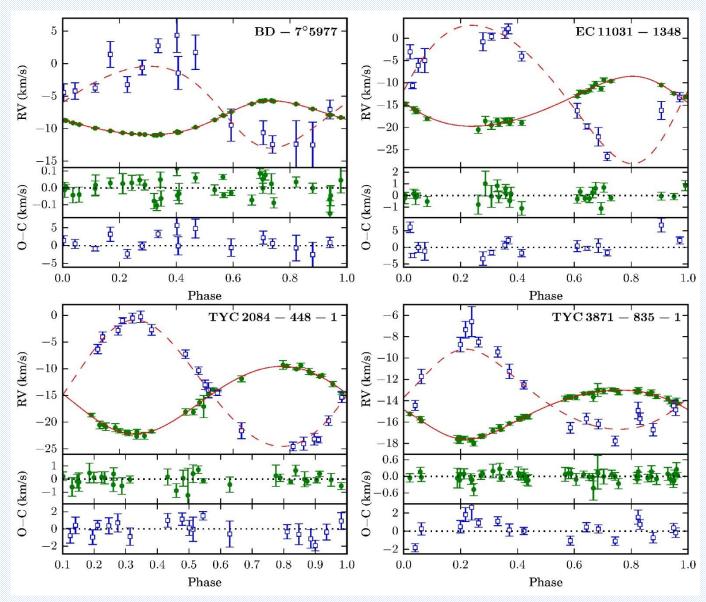
 $P_{orb} = 0.1 - 10 \text{ days}$  $M_{\rm cdg} = 0.40 - 0.49 \, \rm M_{\odot}$ 





#### **Close binary evolution**

- → Helium-burning core of a red giant stripped by binary interaction
- → Stable and unstable masstransfer possible
- → sdO/Bs predicted to be in close and wide binaries

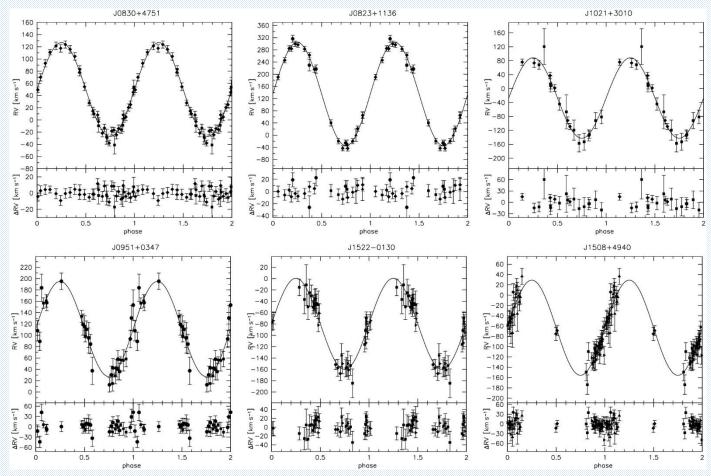


~30% of the sdO/Bs are in composite double-lined binaries

Companions are K/G/F-type main sequence stars

The orbital periods of the  $\sim 30$  solved systems (P = 300 - 1200 d) are in the appropriate range for prior RLOF mass-transfer

Vos et al. 2017, A&A, 605, 109

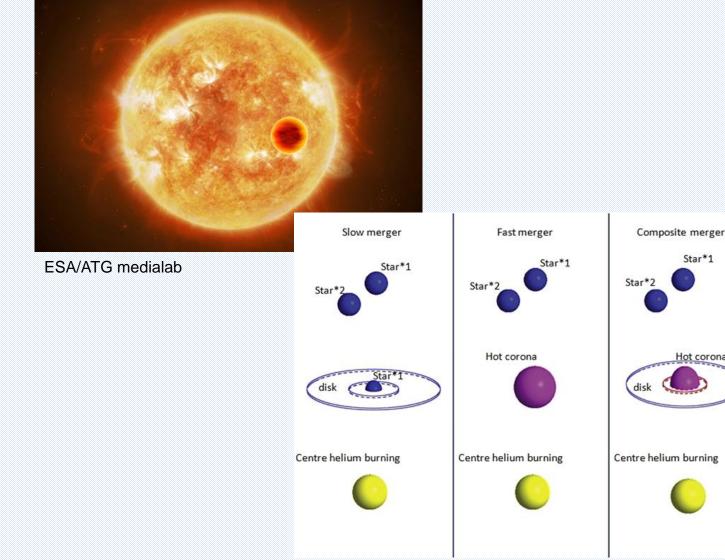


Kupfer et al. 2015, A&A, 576, 44

 $\sim$ 30% of the sdO/Bs are in single-lined close binaries

Companions are M-type main sequence stars, brown dwarfs and white dwarfs

The orbital periods of the  $\sim 300$  solved systems (P = 0.03 - 30 d) are typical for post-CE systems



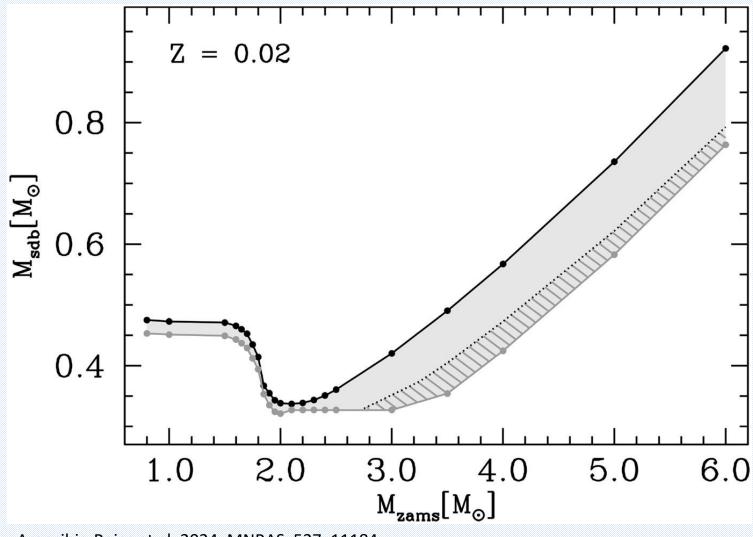
 $\sim$ 30% of the sdO/Bs don't show any signs of binarity

- → Close substellar companions such as brown dwarfs or planets
- → Evaporation or merger during CE evolution?

Star\*1

→ **Merger** of white dwarfs of pure helium composition

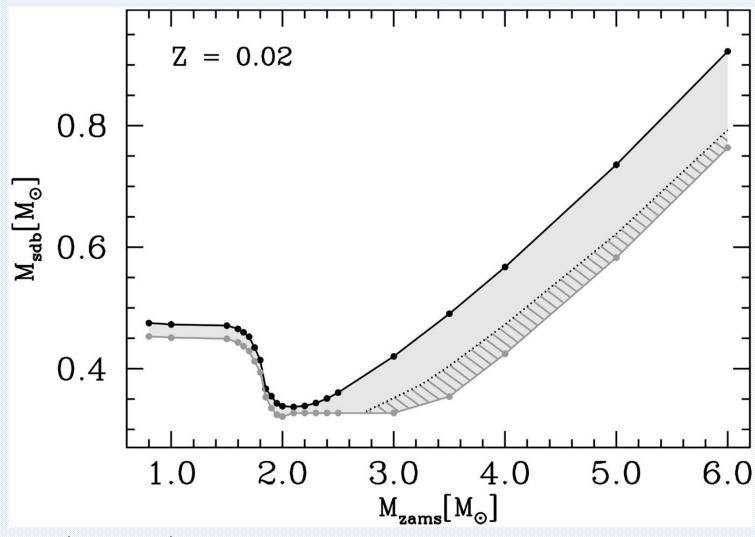
Zhang & Jeffery 2012, MNRAS, 419, 452



For low-mass stars  $(< 2 M_{\odot})$ , the helium star mass is independent of the progenitor mass

→ Different progenitor binaries for the same outcome possible

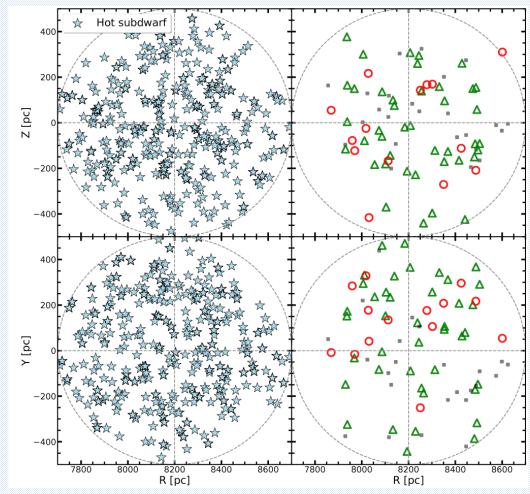
Arancibia-Rojas et al. 2024, MNRAS, 527, 11184



But for intermediate masses  $(2-6\,M_\odot)$  the He star mass is related to the progenitor mass

→ If we know the He star mass, we know the mass of the progenitor!

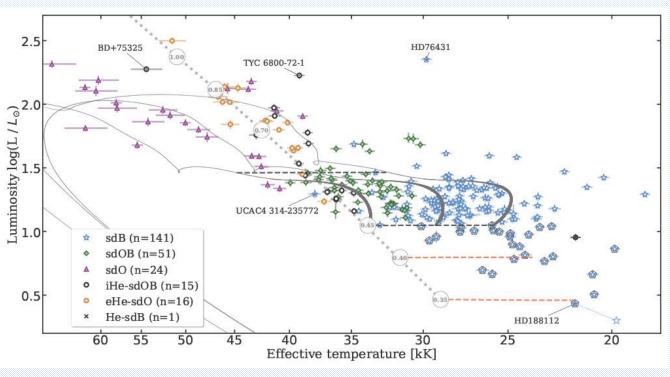
Arancibia-Rojas et al. 2024, MNRAS, 527, 11184



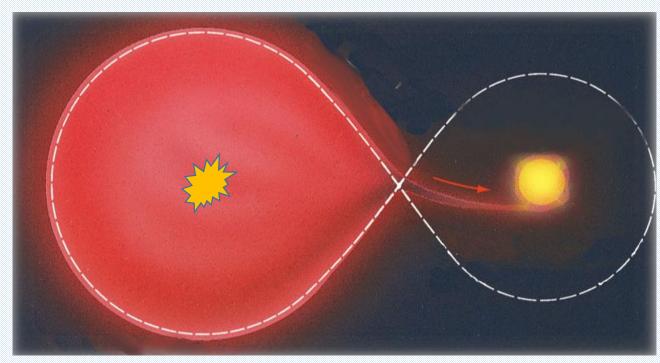
Dawson et al. 2024, A&A, 686, A25

## Volume-complete sample of sdO/Bs within 500 pc

#### Almost completely characterised



Dawson et al. in prep.



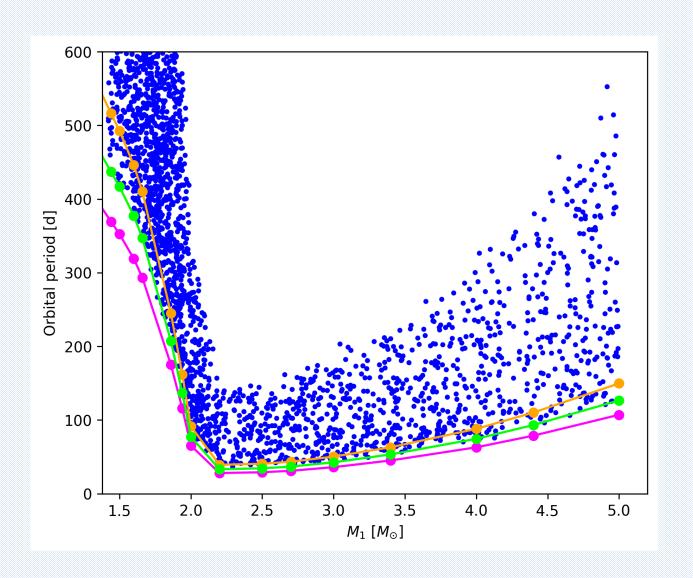
Pearson Inc. 2011 modified by Geier

To form a He core-burning star, it must fill its Roche lobe when He-fusion starts

$$R_{\text{prog,He}}(M_{\text{prog}}) = R_{\text{Roche}}(q, P)$$

 $R_{
m prog, He}$  taken from stellar evolution models for stars with  $M_{
m prog}$ 

 $\rightarrow$  The orbital period of the progenitor binary is a function of  $M_{\rm prog}$  and q

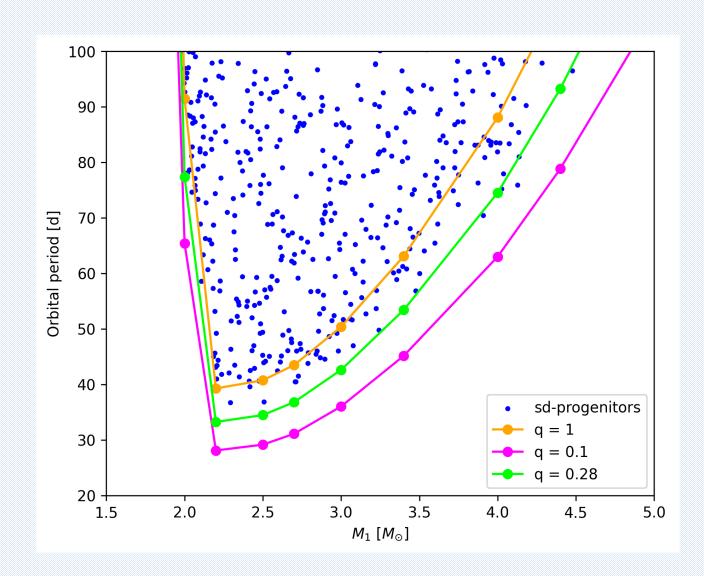


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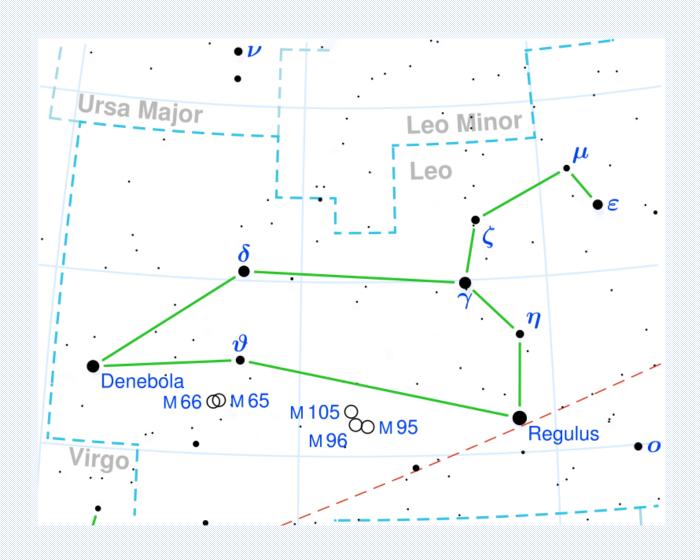
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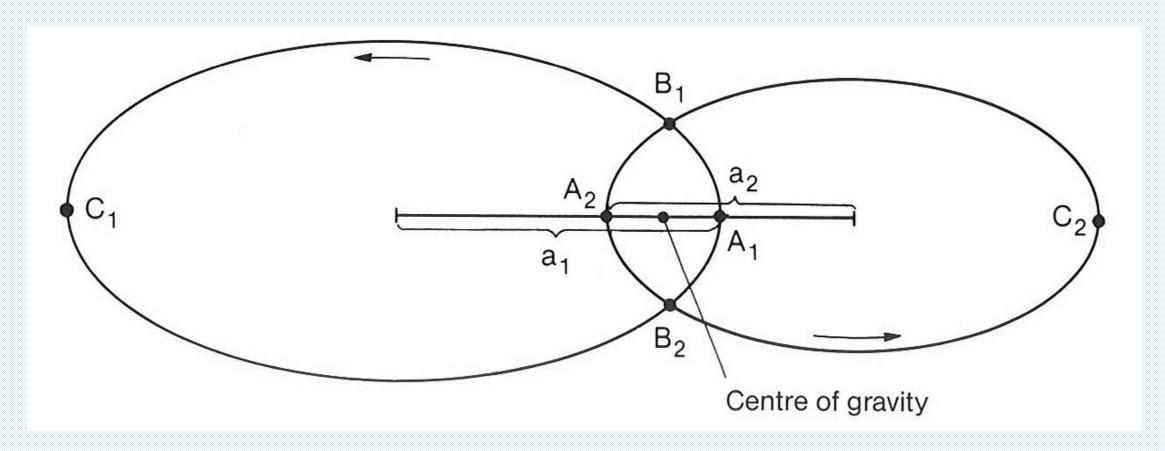
We can now search for binaries fulfilling those criteria

## The project

We aim at determining the birthrate of close binaries with primary stars of intermediate mass qualifying as candidates for stripped He-star progenitors

- Find all candidates within 100 pc from the Sun observable from Ondrejov
- Previous work
  - ightarrow All intermediate mass stars within 100 pc have been selected ( $\sim$ 600) from Gaia DR3 based on colour and absolute magnitude
  - → All stars have been checked in the literature and objects not qualifying as candidates have been excluded
  - $\rightarrow$  ~5 progenitor candidates found, ~300 stars still need to be checked

#### **Binaries**



#### **Measured quantities**

 $a_{1,2}$  major semi-axes (+ distance)

P orbital period

 $i, \omega, \Omega$  orientation angles

#### Visual binaries

#### Major semi axis of relative orbit

$$a = a_1 + a_2$$

#### Total mass of the binary system

$$M_1 + M_2 = \frac{4\pi^2 a^3}{GP^2}$$
 (Keplers third law)

#### Mass fraction of the binary system

$$\frac{M_1}{M_2} = \frac{a_2}{a_1}$$

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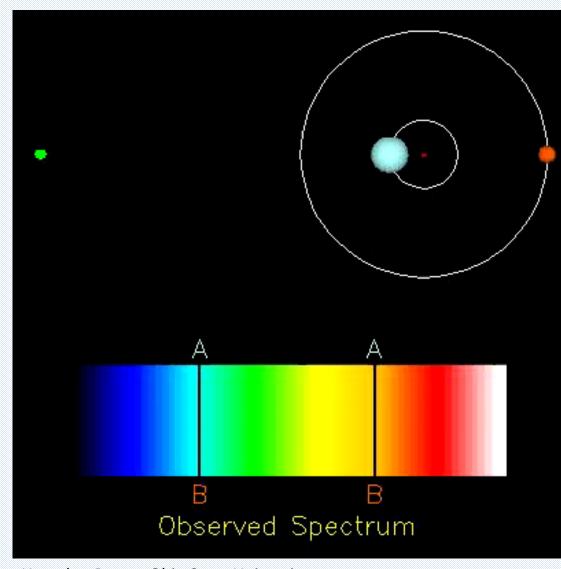
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$$\frac{M_1}{M_2} = \frac{a_2}{a_1}$$

 $\rightarrow$  Component masses  $M_1$ ,  $M_2$ 

## **Spectroscopic binaries**



Youtube, Pogge, Ohio State University

Spectral lines are shifted w.r.t. their rest wavelengths

→ Doppler effect

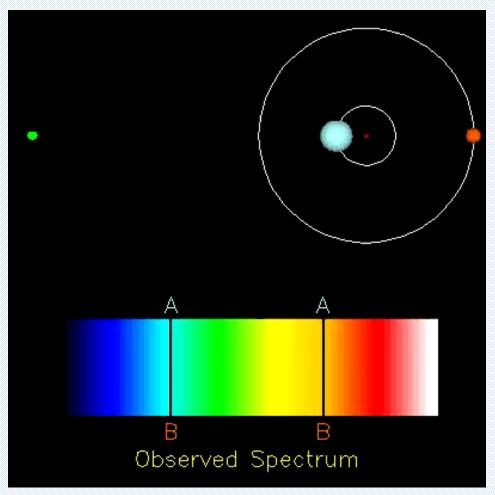
$$\frac{\lambda - \lambda_0}{\lambda_0} = \frac{\Delta \lambda}{\lambda_0} = \frac{v}{c} \quad \text{for } v \ll c$$

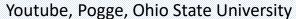
 $\lambda$  observed wavelength

 $\lambda_0$  rest wavelength

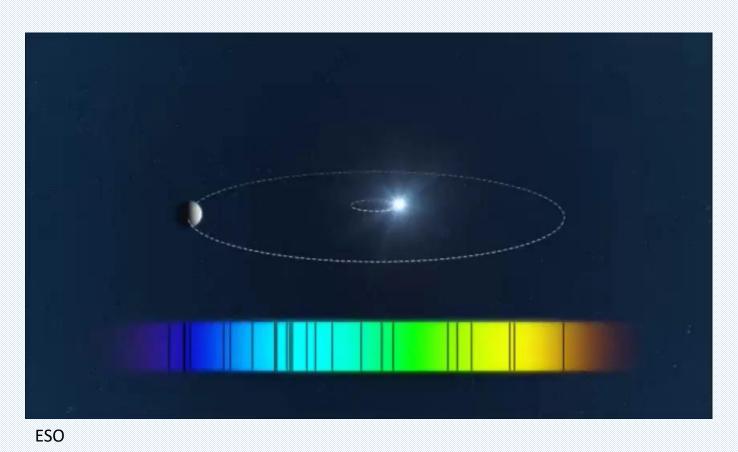
v radial velocity

## **Spectroscopic binaries**

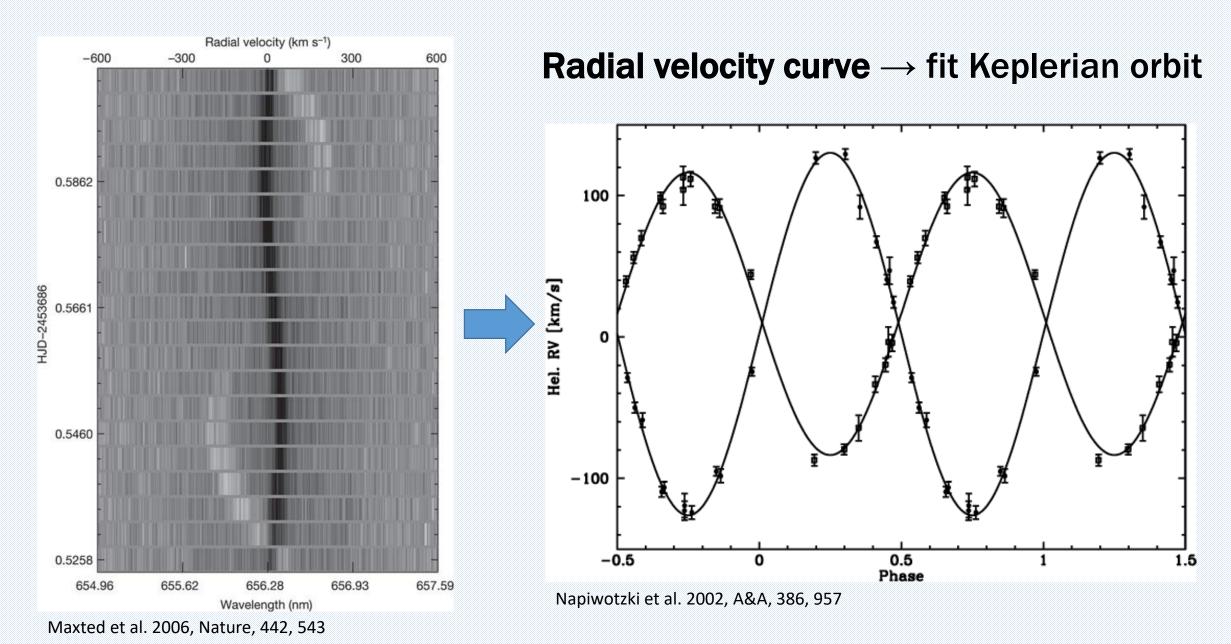


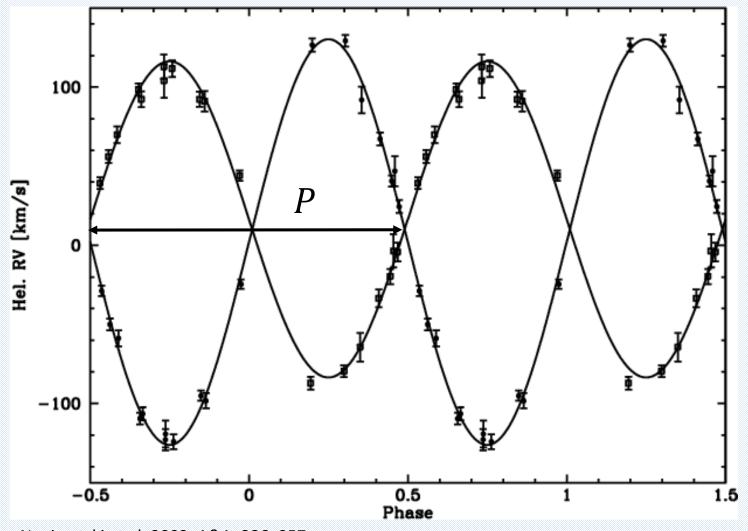


**Double-lined binary** 



Single-lined binary (e.g. exoplanet system)





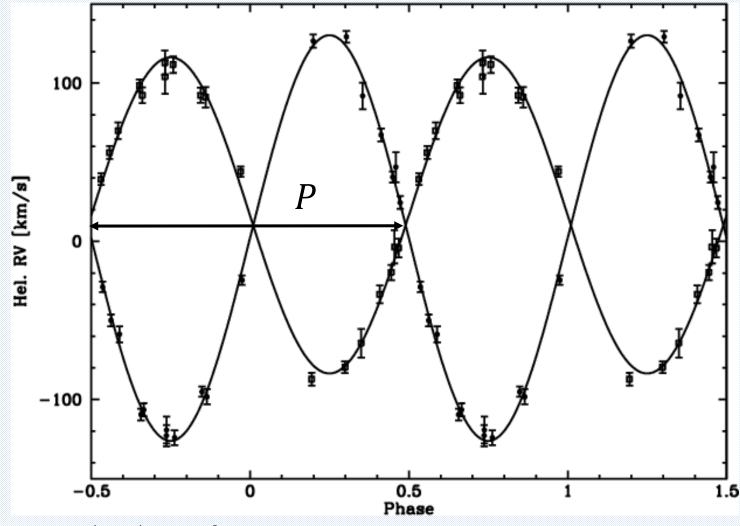
Napiwotzki et al. 2002, A&A, 386, 957

#### **Phased radial velocity curve**

ightarrow Relative to a certain time  $T_0$  the epochs  $t_{\rm n}$  of the measured RVs in HJD can be converted to phases  $0 \le \Phi_{\rm n} \le 1$ 

$$\Phi_{\rm n} = {\rm frac}\left(\frac{T_0 - t_{\rm n}}{P}\right)$$

**Radial velocity curve**  $\rightarrow$  **Orbital period** P

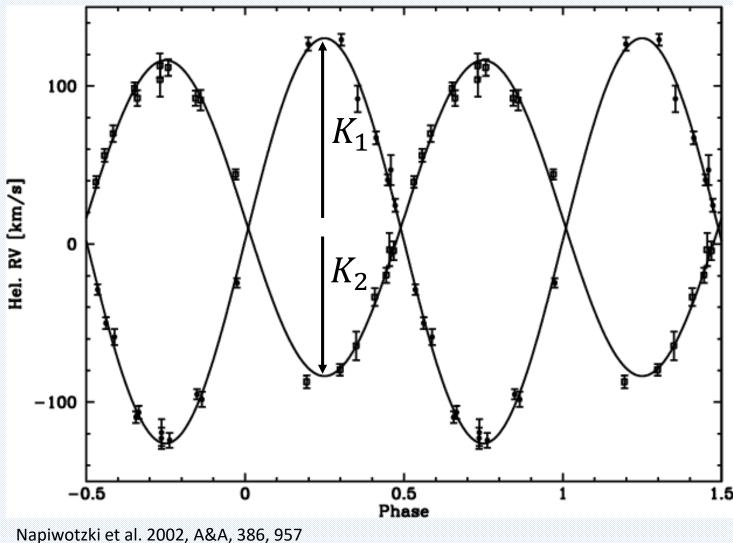


Phased time-series of periodically variable values allow us to combine measurements taken at very different epochs

→ A homogeneous and dense phase coverage is needed to measure the orbital parameters precisely

Napiwotzki et al. 2002, A&A, 386, 957

**Radial velocity curve**  $\rightarrow$  **Orbital period** P



**Radial velocity curve**  $\rightarrow$  Radial velocity semi-amplitudes  $K_{1,2}$ 

$$a = a_1 + a_2$$

$$\frac{M_1}{M_2} = \frac{a_2}{a_1} \Rightarrow a_1 = \frac{aM_2}{M_1 + M_2}$$

Circular Orbit (K observed RV, u absolute RV, i inclination angle)

$$K_{1,2} = u_{1,2} \sin i$$

$$\Rightarrow K_1 = \frac{2\pi a_1}{P} \sin i = \frac{2\pi a}{P} \frac{M_2 \sin i}{M_1 + M_2}$$

$$K_1 = \frac{2\pi a}{P} \frac{M_2 \sin i}{M_1 + M_2} \Rightarrow a = \frac{PK_1}{2\pi} \frac{M_1 + M_2}{M_2 \sin i}$$

$$M_1 + M_2 = \frac{4\pi^2 a^3}{GP^2}$$
 (Keplers third law)

#### **Binary mass function**

$$\Rightarrow f(M_1, M_2) = \frac{K_{1,2}^3 P}{2\pi G} = \frac{M_{2,1}^3 \sin^3 i}{(M_1 + M_2)^2}$$

$$f(M_1, M_2) = \frac{K_{1,2}^3 P}{2\pi G} = \frac{M_{2,1}^3 \sin^3 i}{(M_1 + M_2)^2}$$

$$K_{1,2} = \frac{2\pi a_{1,2}}{P} \sin i$$

$$\Rightarrow \frac{K_1}{K_2} = \frac{a_1}{a_2} = \frac{M_2}{M_1}$$

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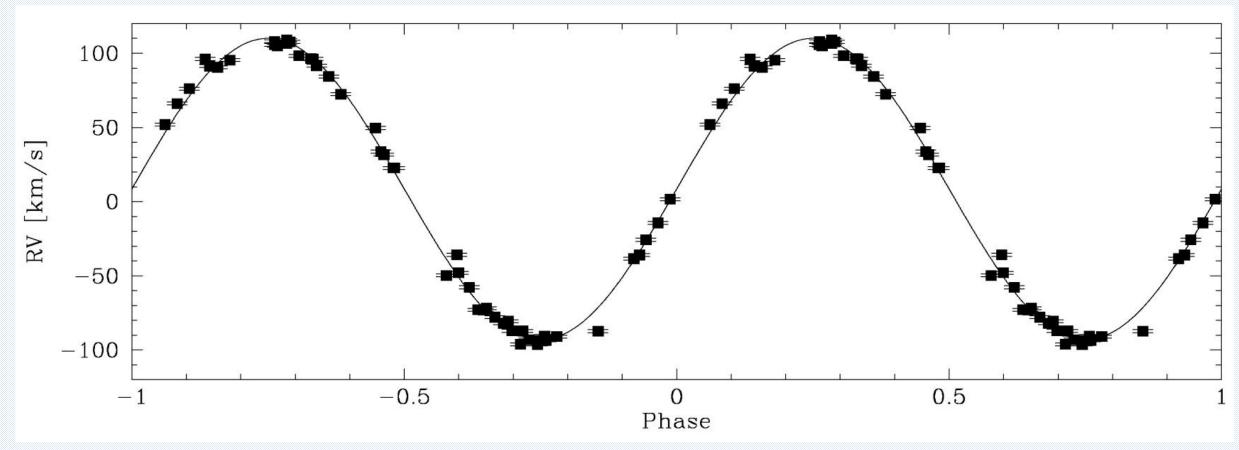
Inclination angle needed to solve the system

#### **General case: Eccentric orbits**

$$f(M_1, M_2) = \frac{K_{1,2}^3 P(1 - e^2)^{3/2}}{2\pi G} = \frac{M_{2,1}^3 \sin^3 i}{(M_1 + M_2)^2}$$

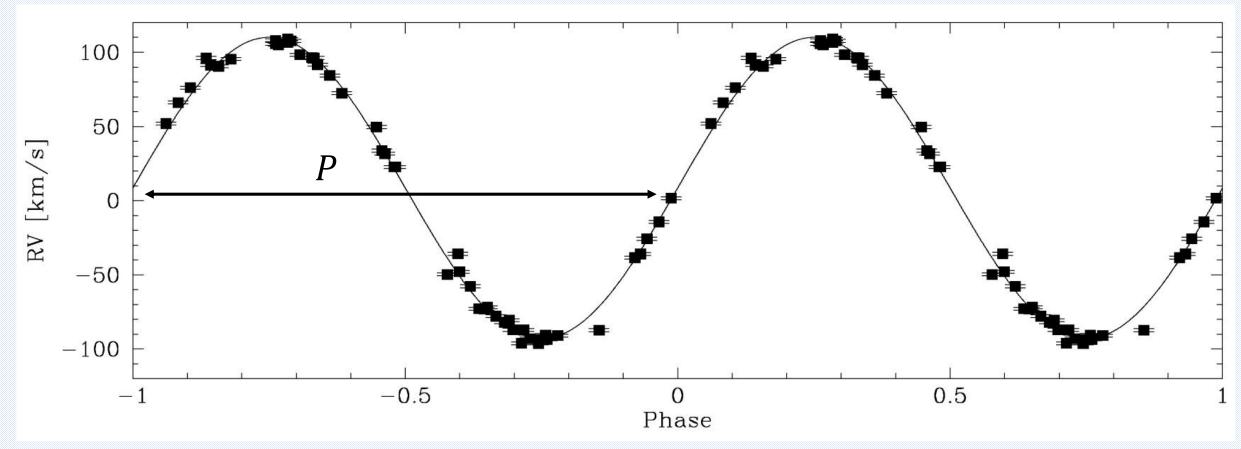
$$K_{1,2} = \frac{2\pi a_{1,2}}{P(1 - e^2)^{1/2}} \sin i$$

$$\Rightarrow \frac{K_1}{K_2} = \frac{a_1}{a_2} = \frac{M_2}{M_1}$$



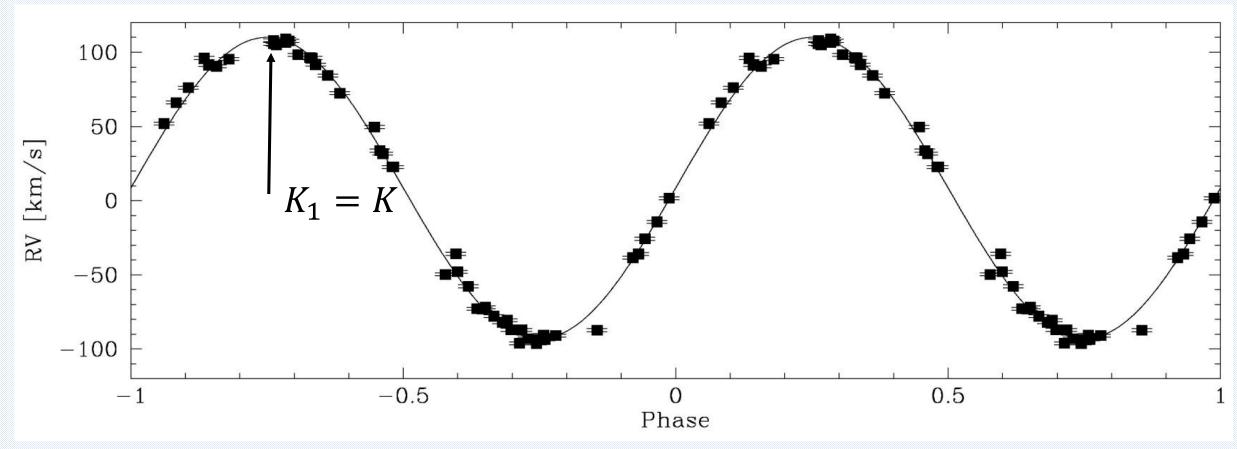
S. Geier

Orbital parameters of the visible component



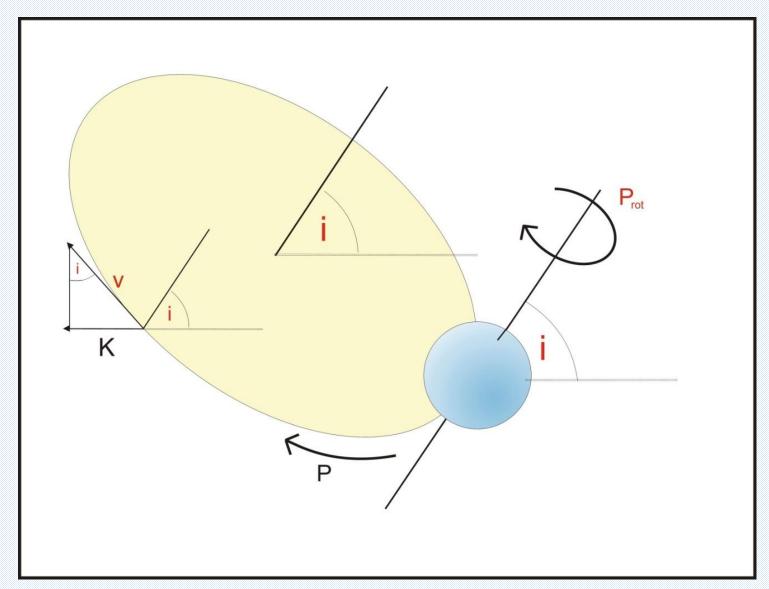
S. Geier

Orbital parameters of the visible component



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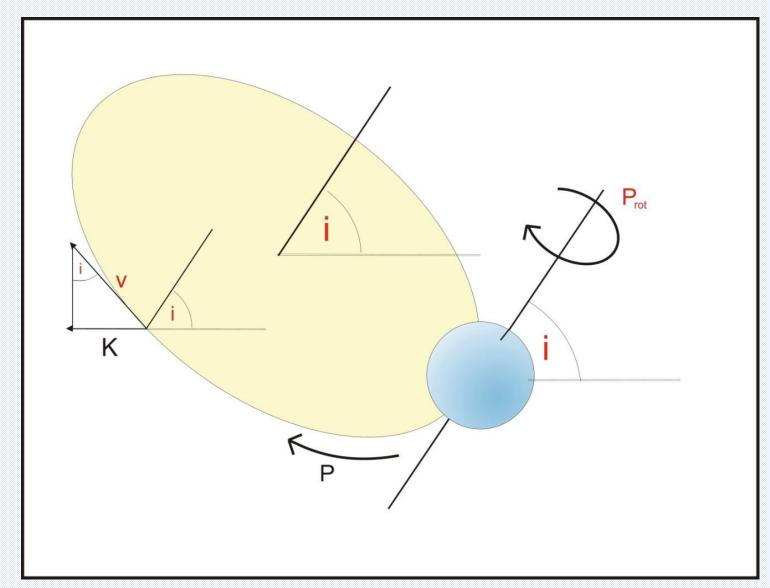
Orbital parameters of the visible component



### **Binary mass function**

$$\frac{K^3P}{2\pi G} = \frac{M_2^3 \sin^3 i}{(M_1 + M_2)^2}$$

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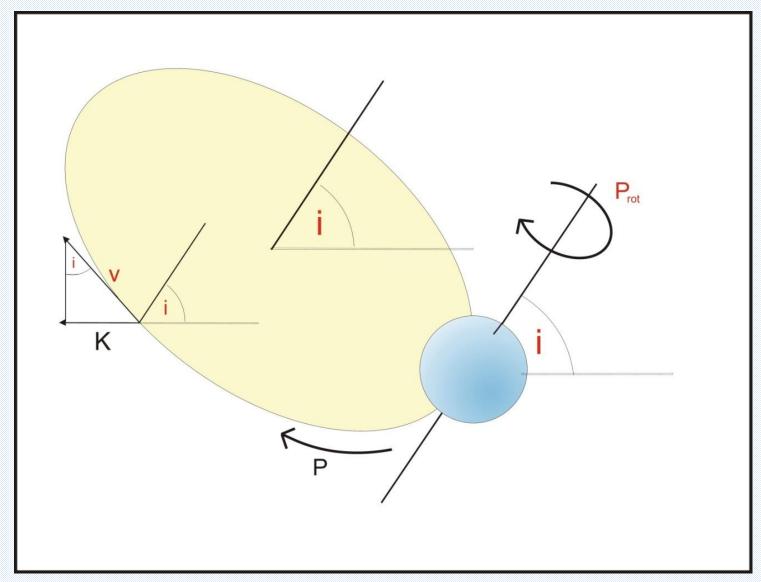


### **Binary mass function**

$$\frac{K^3P}{2\pi G} = \frac{M_2^3 \sin^3 i}{(M_1 + M_2)^2}$$

#### **Problem underdetermined**

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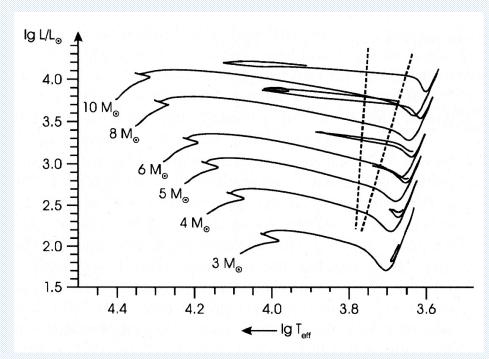
### **Inclination angle**

$$i \le 90^{\circ} \Rightarrow \sin i \le 1$$

$$\Rightarrow \frac{K^3 P}{2\pi G} \le \frac{M_2^3}{(M_1 + M_2)^2}$$

If  $M_1$  is known, a **lower** limit for  $M_2$  can be derived

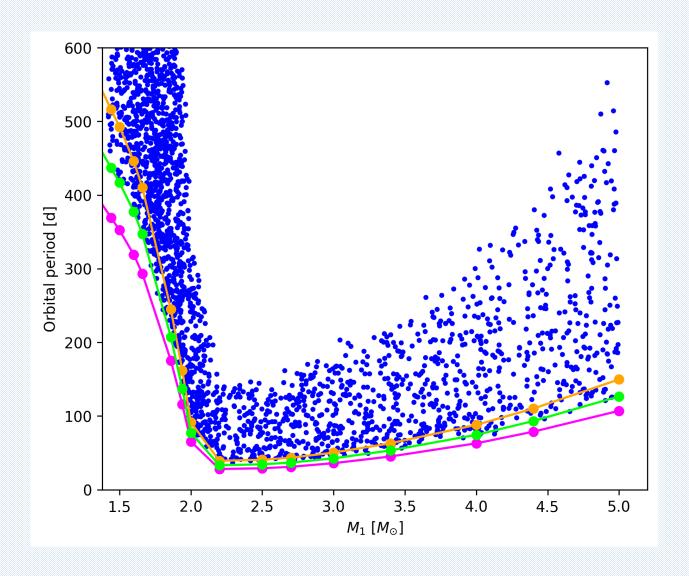
S. Geier



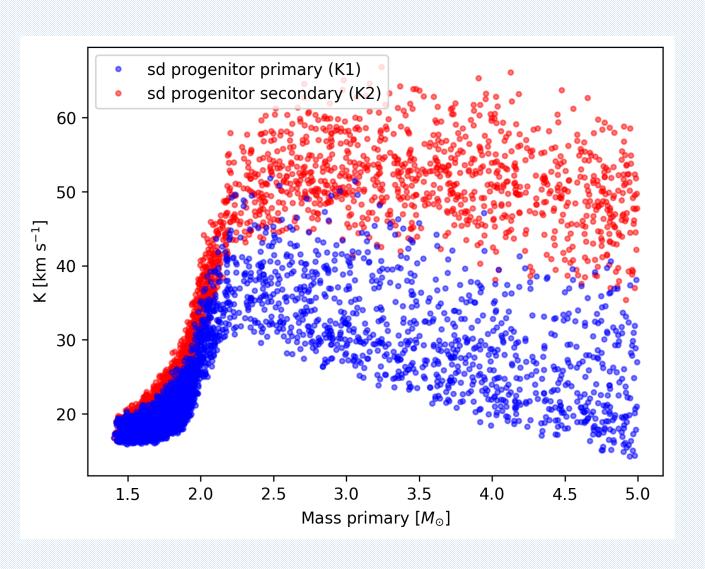
Kippenhahn, Weigert & Weiss 2012

Masses of the primaries can be determined by comparing the measured quantities to stellar evolution tracks

- → Colour (temperature), absolute magnitude (luminosity)
- → Our sample consists of main sequence stars and the Gaia BP-RP colours can be used to determine their masses (see the catalogue provided)
- → Determine the masses of all stars



- → Select the stars observable from Ondrejov
- $\rightarrow$  Prioritize targets, with maximum phase coverage in 7 days (M-P relation!)
- → Prepare and optimize the observing schedule
- → Observe at least two epochs with the OES at the 2m-Perek telescope



- $\rightarrow$  Determine the maximum RV shifts  $\Delta RV$
- $\rightarrow$  Progenitor candidates must follow the M-K relation
- ightarrow Remove stars with ightarrow Remove stars with <math>
  ightarrow Remove stars with 
  ightarrow Remove stars with <math>
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  ight
- → Prepare and optimize the schedule for follow-up observations

- → Obtain follow-up observations of the remaining candidates
- → Fit Keplerian orbits to the RV curves and determine orbital parameters and (minimum) masses of the companions
- → Prepare a list of rejected and still valid candidates as preparation for further observations

# **GOOD LUCK!**